Underwater targets detection and classification Using Enhanced EMI models

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Problem Statement

- Remediation and Detection of underwater UXO targets are more expensive than excavating the same targets on land
- Advanced EMI sensors and models have provided excellent classification performance for detecting and classifying subsurface metallic targets on land



There are needs to develop better EMI models and systems to:

Ehnance EMI systems and signal processing approaches for UW targets detection and classification

UXO classification workflow



UW EMI sensing



- The primary electromagnetic fields induce currents in conducting media
- The total field in region 2 is sum of fields produced by a Tx coil (response from water), reflected fields from Boundaries and fields from a target
- The fields in region 1 are transmitted fields
- The total field in region 3 is sum of transmitted fields and response from a target

Enhanced models

Time harmonic response

$$\mathbf{B} = \mu_o \frac{e^{-ikR}}{4\pi R^3} \left[\left(\frac{3\mathbf{R}(\mathbf{R} \cdot \mathbf{m})}{R^2} - \mathbf{m} \right) (1 + ikR) - k^2 \left(\mathbf{R} \times (\mathbf{R} \times \mathbf{m}) \right) \right];$$

$$k = \sqrt{\omega^2 \mu_o \varepsilon_o \varepsilon \mu + i\sigma \omega \mu \mu_o}; \text{ for low frequency induction } k = \sqrt{i\sigma \omega \mu \mu_o};$$

Using the inverse Laplace Transform

$$\mathbf{B}(t) = L^{-1} \left[\frac{\mathbf{B}(s)}{s} \right]; \quad s = i\omega$$

Transient responses

Air-Water Interface

The magnetic field in marine environment $\mathbf{B}(\mathbf{r},\mathbf{r}',t) = \int_{0}^{t} \overline{\mathbf{G}}_{step}(\mathbf{r},\mathbf{r}',t-\tau) \cdot \mathbf{m}(\tau) d\tau$ The magnetic field in terrestrial environment $\mathbf{B}(\mathbf{r},\mathbf{r}',t) = \overline{\mathbf{G}}(\mathbf{r},\mathbf{r}',t=0) \cdot \mathbf{m}(t)$ Induced *emf* (voltage) in the receiver coil is the time derivative of the magnetic field $V(t) = \frac{\partial \mathbf{H}(\mathbf{r},\mathbf{r}',t)}{\partial t} \approx \sum_{\mathbf{r}} \overline{\mathbf{G}}(\mathbf{r},\mathbf{r}',t=0) \cdot \frac{\partial \mathbf{m}(t)}{\partial t} + \frac{\partial \overline{\mathbf{G}}(\mathbf{r},\mathbf{r}',t)}{\partial t} \cdot \mathbf{m}(t=0)$

 Complete model: Voltage due to both the magnetic dipole and its time derivative

Dynamic and Cued Data Collection



- Covers large areas;
- Provides very dense data; -10
- Illuminates targets from multiple -20 points.
- -30 Data are NOT stacked

- Provides high quality data for classification
- Very slow process ~1.5 min/per anomaly
- Data stacked

-40

Forward Models



The scattered EMI field is approximated as superposition of magnetic fields from each individual dipole, using the dyadic Green's function: $N_{\nu_{e}}$ =

$$\mathbf{H}(\mathbf{r}) = \sum_{i=1}^{N_v} \overline{\overline{G}}_i(\mathbf{r}) \cdot \boldsymbol{m}_i$$

where

$$\overline{\overline{G}}_{i}(\mathbf{r}) = \frac{1}{4\pi R_{i}^{3}} \left(3\overline{R}_{i} \ \overline{R}_{i} \ -\overline{\overline{I}} \right) ; \ \overline{R}_{i} = \mathbf{r}_{i} - \mathbf{r}$$

Advanced model

Orthonormalized Volume Magnetic Source (ONVMS) model



The scattered EMI field is approximated as magnetic field from **groups of interacting dipoles** using an ortho-normalized function expansion:

$$\mathbf{H}(\mathbf{r}) = \sum_{q=1}^{Q} \overline{\psi}_{q}(\mathbf{r}) \cdot \boldsymbol{b}_{q},$$

where $\overline{\psi}_{q}(\mathbf{r}) = \overline{\overline{G}}_{q}(\mathbf{r}) - \sum_{k=1}^{q-1} \overline{\psi}_{k}(\mathbf{r}) \cdot \overline{\overline{A}}_{qk};$

Forward Models

Standard model

Magnetic dipole mode



- m_i are determine from the measured data
 by solving a linear system of equations.
 - Uses individual dipole polarizabilities for classification



- First it determines b_q from the measured data without solving a linear system of equations, then it backs out m_i
- Uses total ONVMS/effective polarizabilities for classification

UW ULTRATEMA

System has:

- Four (4) Tx coils
- Twelve (12) vector receivers

And operates in dynamic model and measures targets transient responses .





Combine enhanced forward and inverse EMI models for UW data processing

2021 Sequim Bay



ESTCP Sequim Bay Demonstration Site Calibration Line 2022



Detection map: calibration grid





Detection map: calibration grid



Extracted effective polarizabilities



Extracted effective polarizabilities



10⁻³

Detection map using standard approach



Independently scored results:



Detection map using standard approach



Detection map using advanced approach



2022 Sequim Bay



Detection map: calibration grid



Conclusions:

- Enhanced EMI models account accurately transient responses from: UW targets, layer boundaries and transmitters/receivers surrounding medium
- The voltage due to direct coupling from Tx to Rx is much higher than signals due to air-water and water-sediment boundaries
- Enhanced EMI provided excellent classification results when applied to UW UltraTEMA data sets.

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